

# Clumpy stellar wind in HMXB OAO 1657-415

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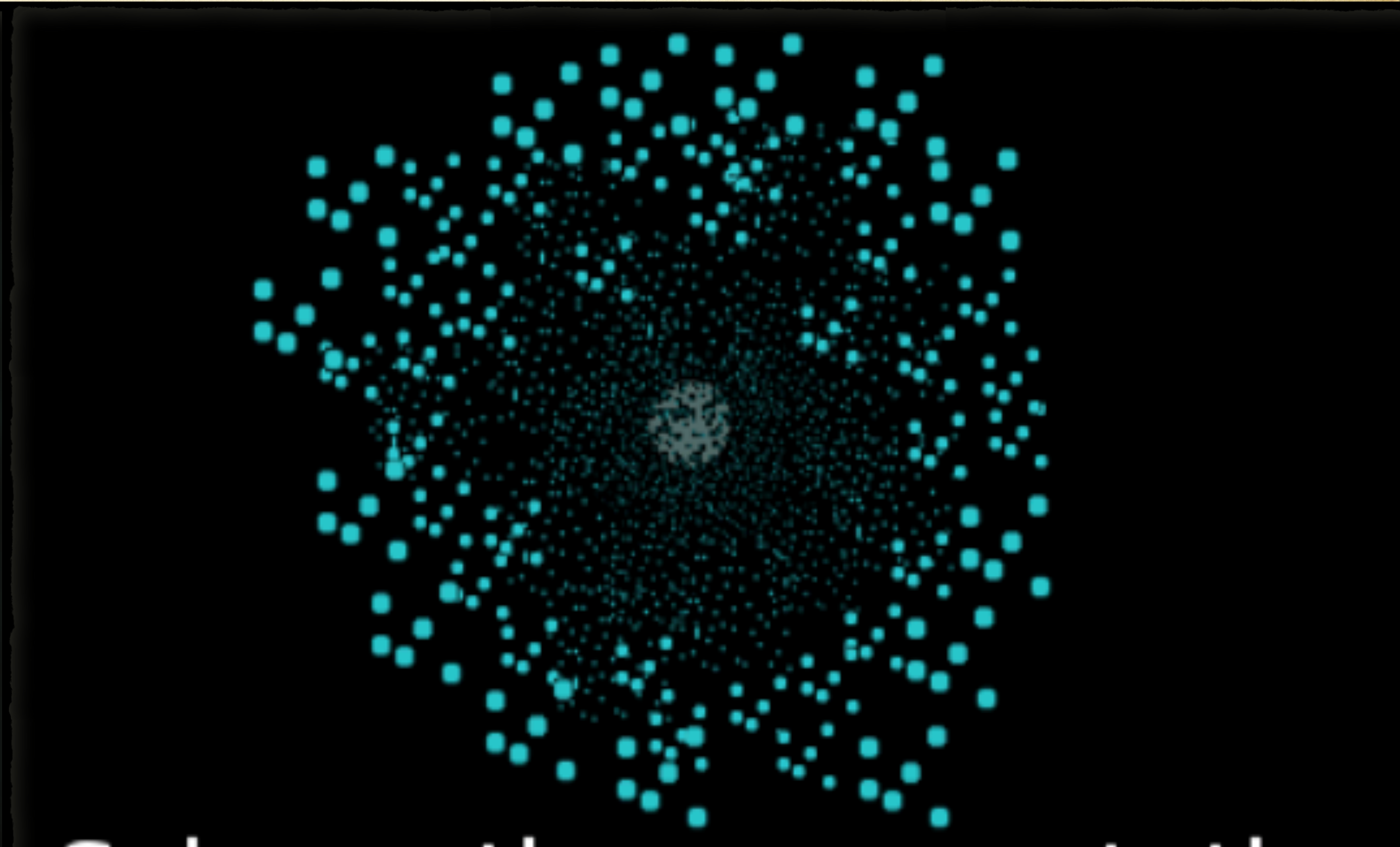
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# What are stellar winds?

- High velocity outflows from massive stars. Shape the galaxies with radiative, mechanical and chemical feedback.
- There is an underestimation of  $\dot{M}$  for homogeneous winds implying stellar winds are clumpy.



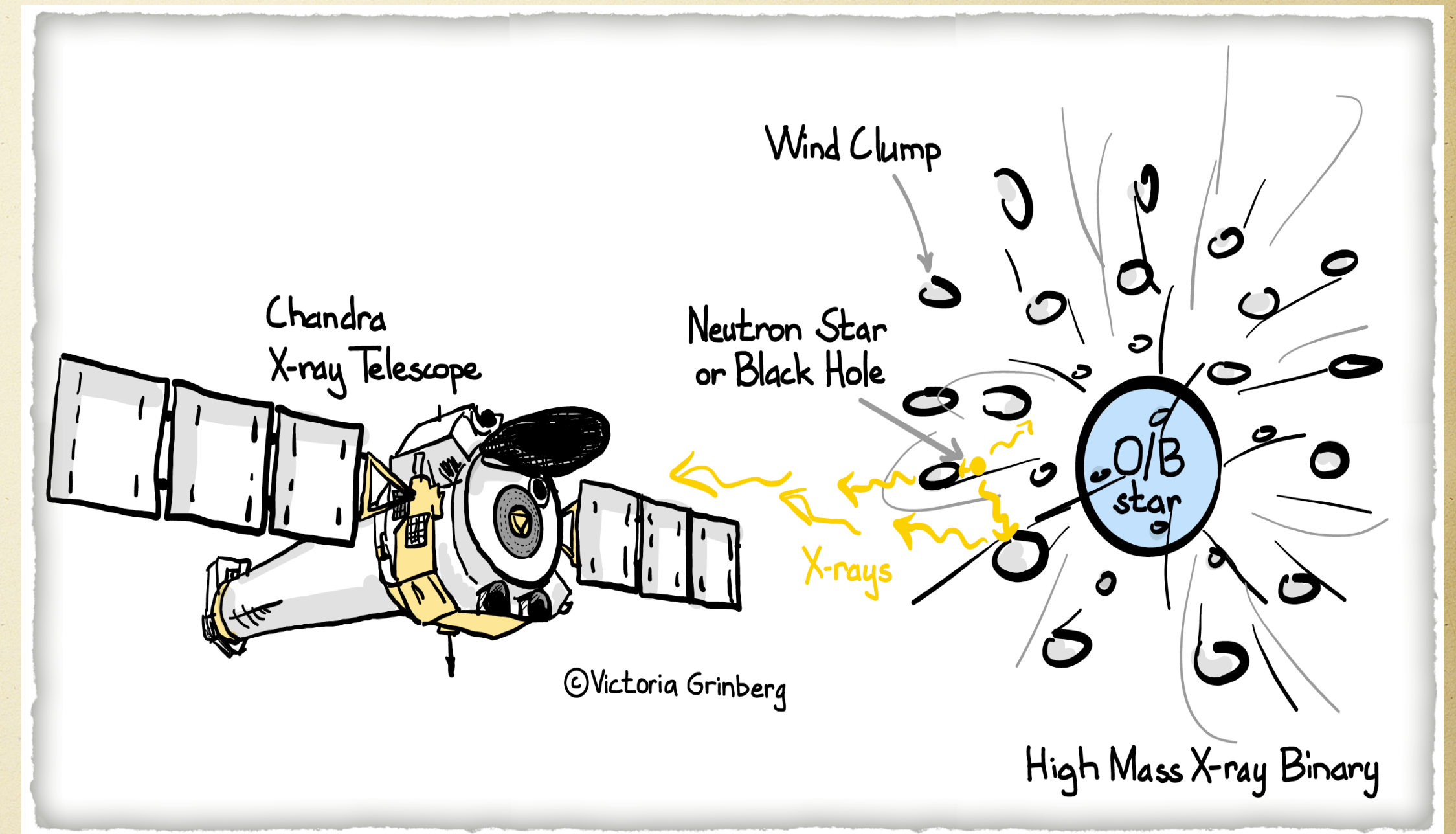
Homogeneous stellar wind  
artistic representation



Schematic representation  
of a clumpy wind structure

# Unique contributions from X-rays

- In HMXBs, the neutron star can be used as a flashlight and the X-ray variability can be used to directly measure clump sizes.
- Shape of X-ray emission lines of single stars from high-resolution spectroscopy. Stronger wind absorption makes the line becomes more skewed but there is a degeneracy in measuring  $\dot{M}$  and clumps sizes (porosity).
- Thermal radio excess — can give reliable  $\dot{M}$  measurements but is sensitive to presence of clumps
- P-Cygni profiles of UV lines to calculate  $\dot{M}$  — less affected by clumpiness but relies on information of elemental abundances and degree of ionization of ions producing P-Cygni profiles
- Other methods: global methods using stellar atmosphere models including the hydrodynamic effects of winds e.g., FASTWIND, PoWR.  $H_\alpha$  in optical, IR for low mass-rate stars etc.



Sketch by Victoria Grinberg

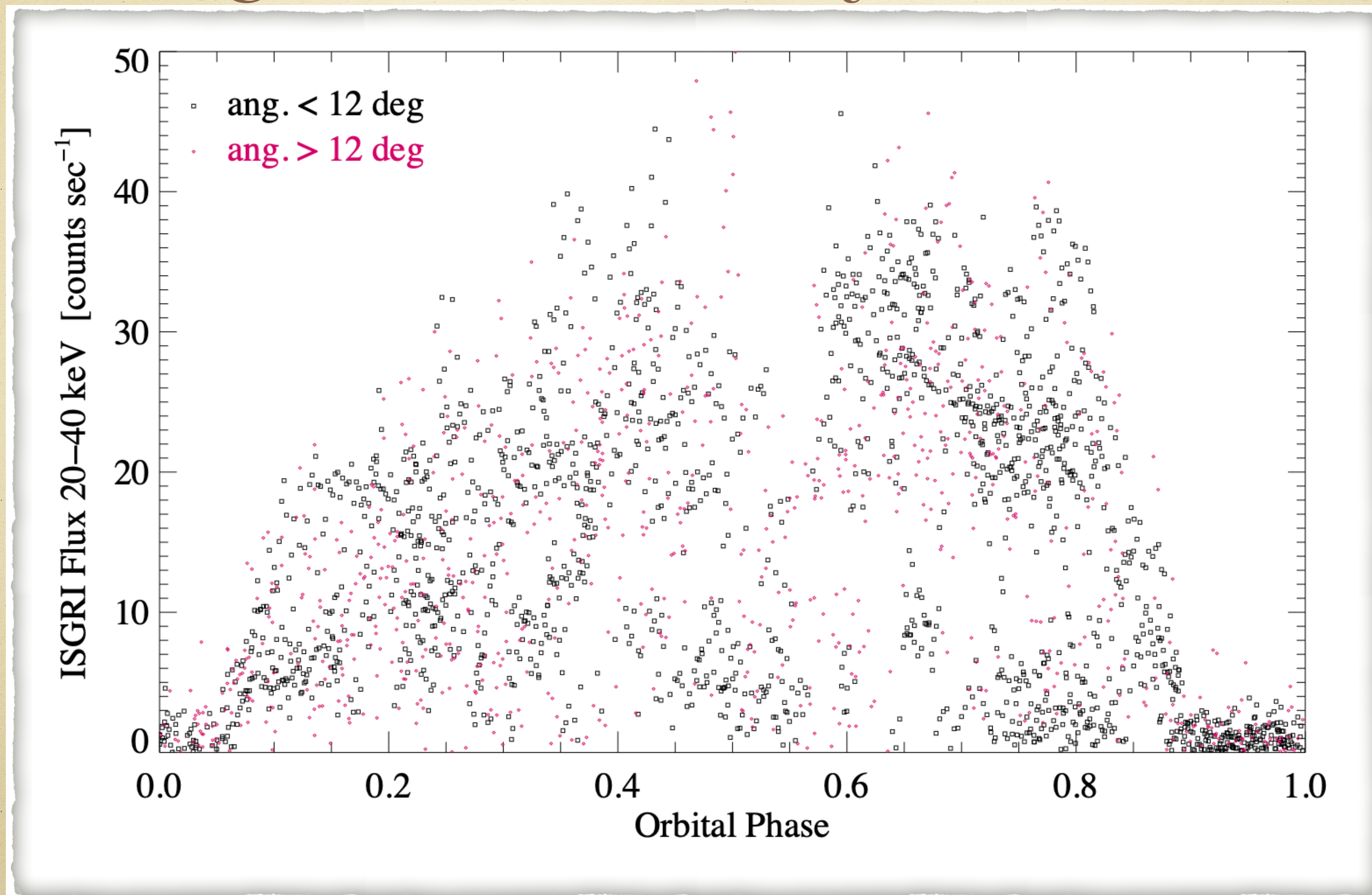
# X-ray spectral fits

- NH made up of two components (NH1 and NH2)
- NH1 — global origin, possibly stellar wind
- NH2 — local absorption caused by local structures.
- Iron line emission

# HMXB OAO 1657-415

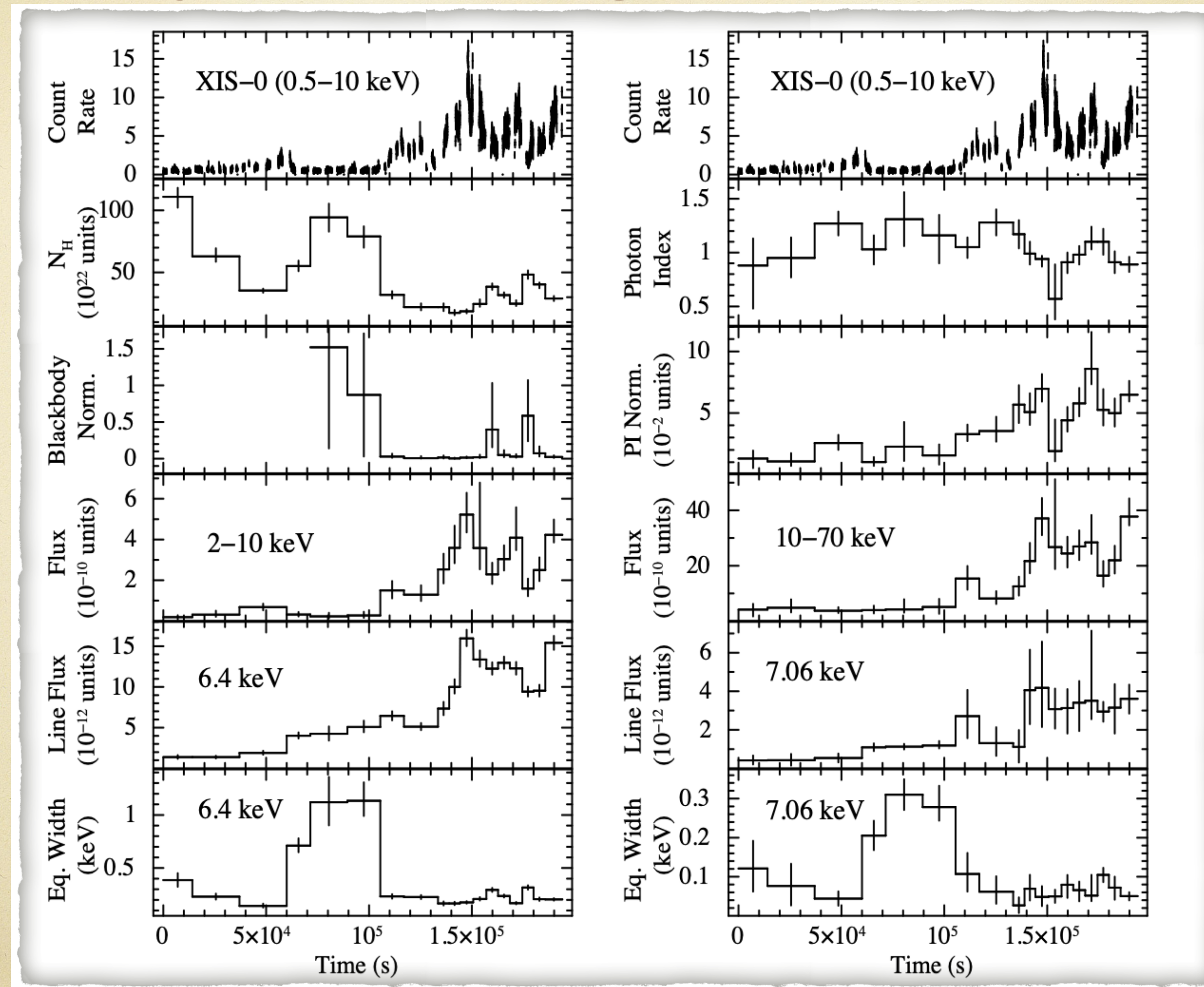
- Accreting neutron star with a WR companion.
- $P_{\text{spin}} \sim 38$  s,  $P_{\text{orb}} \sim 10.5$  days,  $e \sim 0.1$ ,  $i \sim 65-70$  deg (exhibits eclipses).
- Shows large variability in NH and very strong iron lines.
- Debatable cyclotron line at  $\sim 36$  keV, ruled out now.

# Long-term X-ray variability



Barnstedt et al. 2008

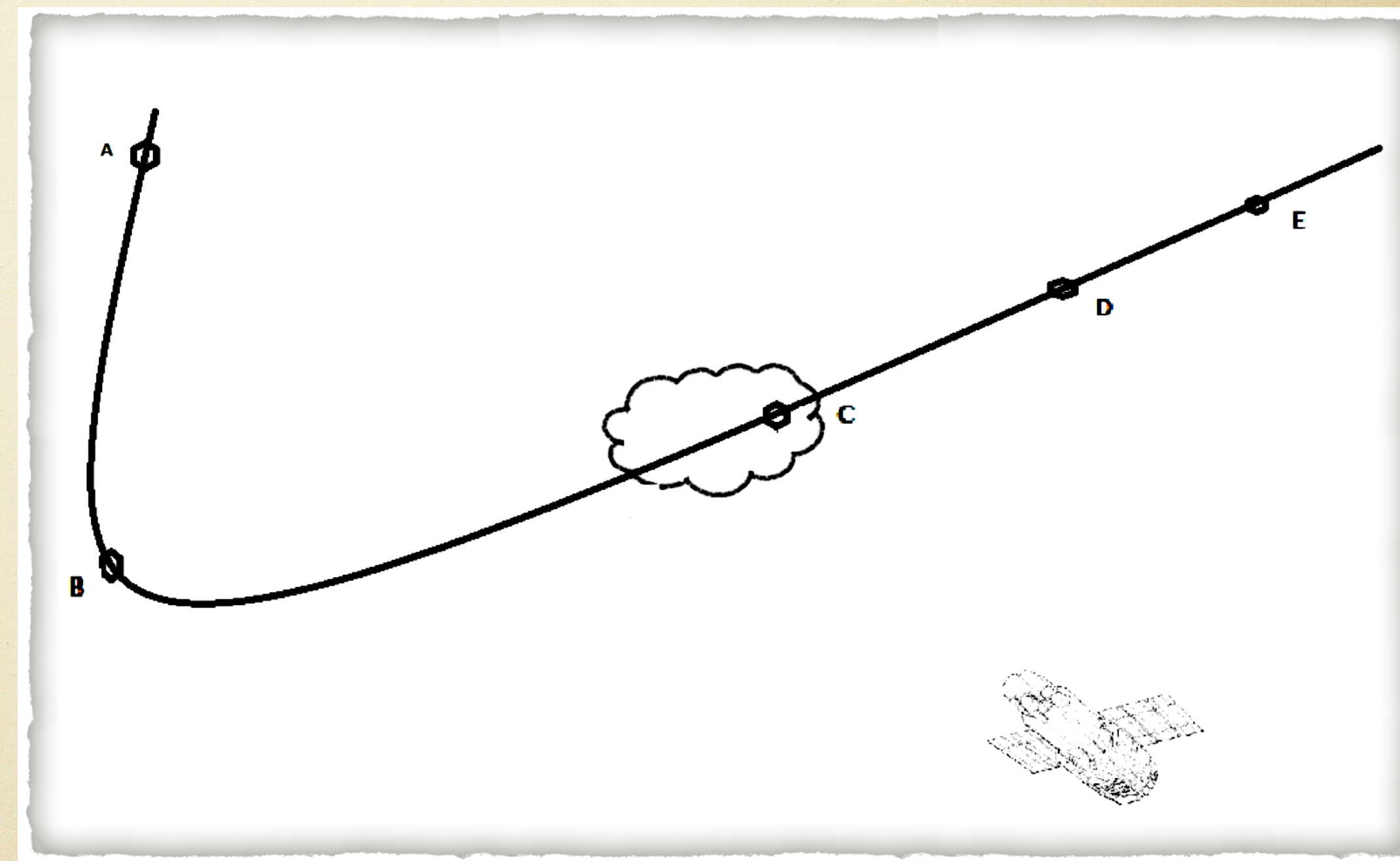
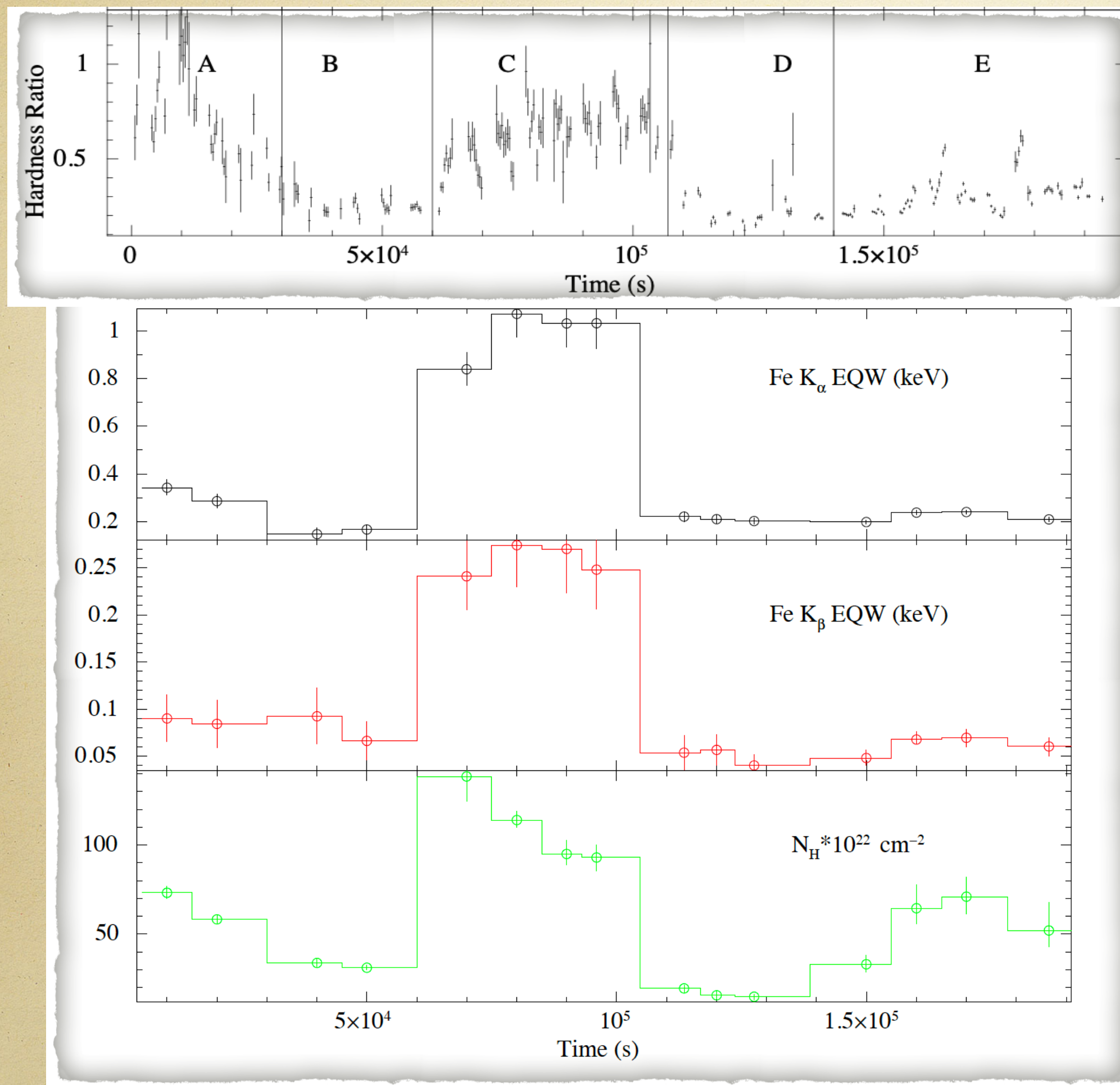
# Very strong iron lines



Jaisawal et al. 2014



# Very strong iron lines

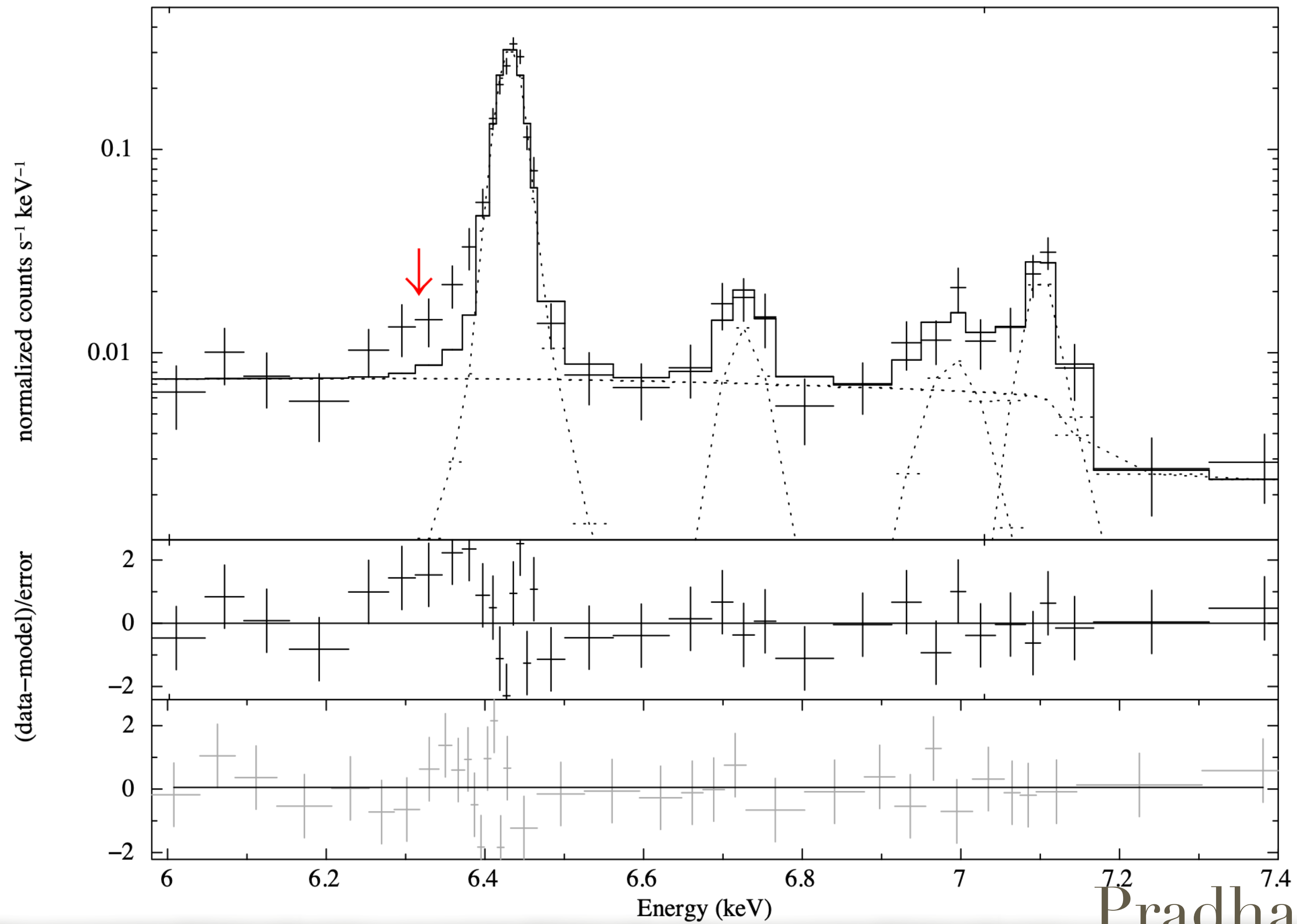


$$R_c \sim 4\% R^*$$

$$M_c \sim 3 \times 10^{24} \text{ g}$$

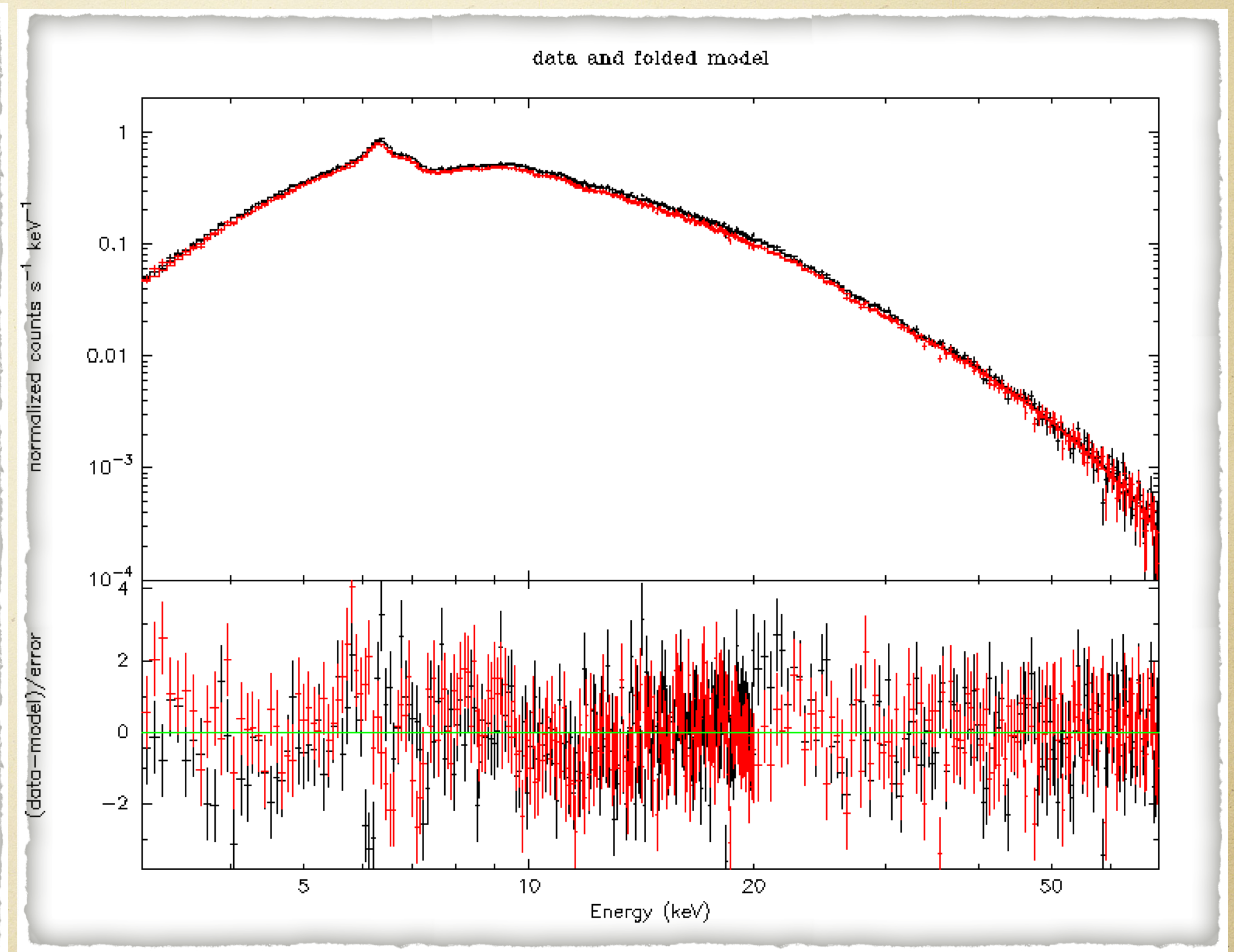
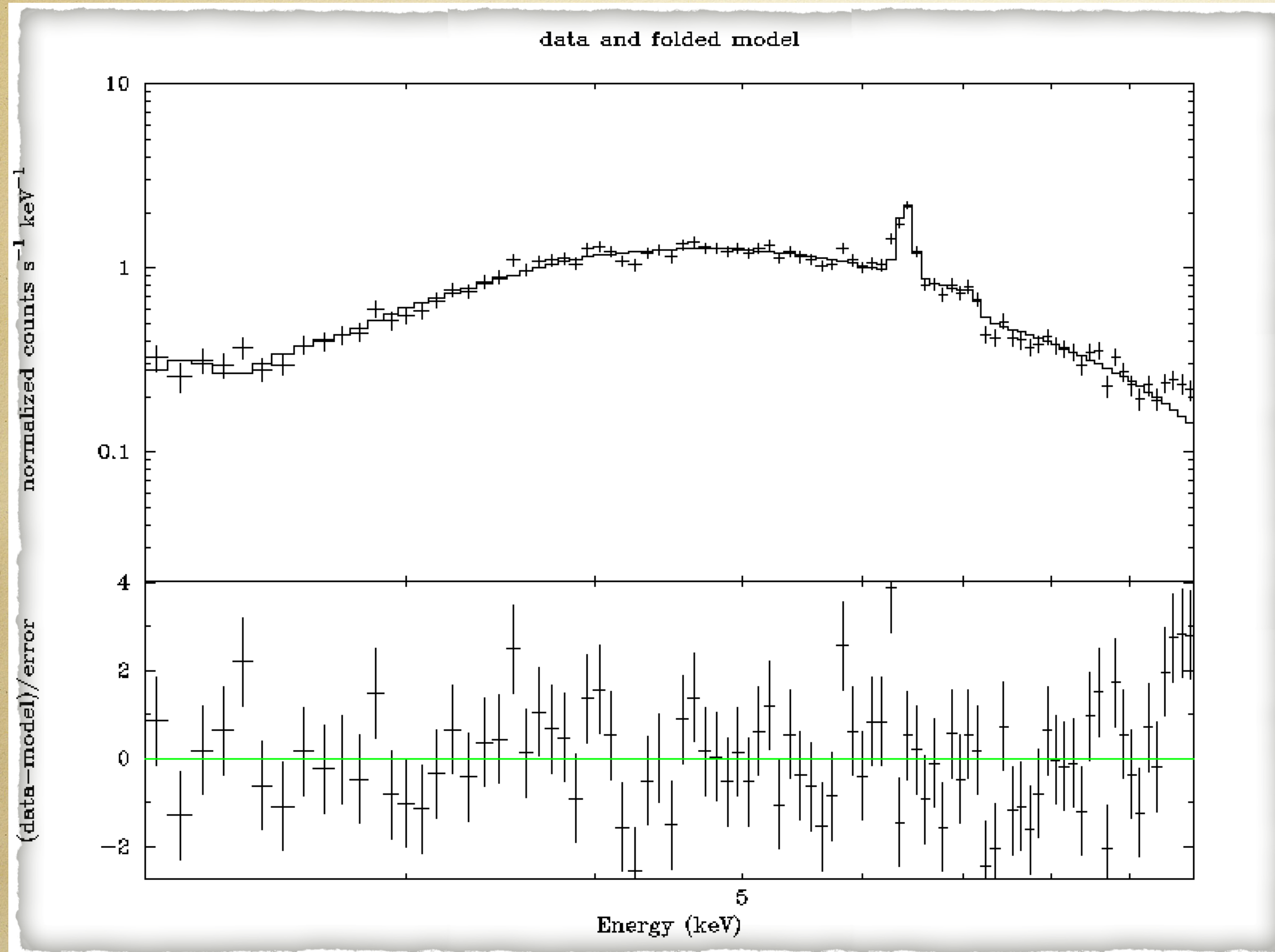
Pradhan et al. 2014

# Very dense surrounding: Detection of a Compton shoulder



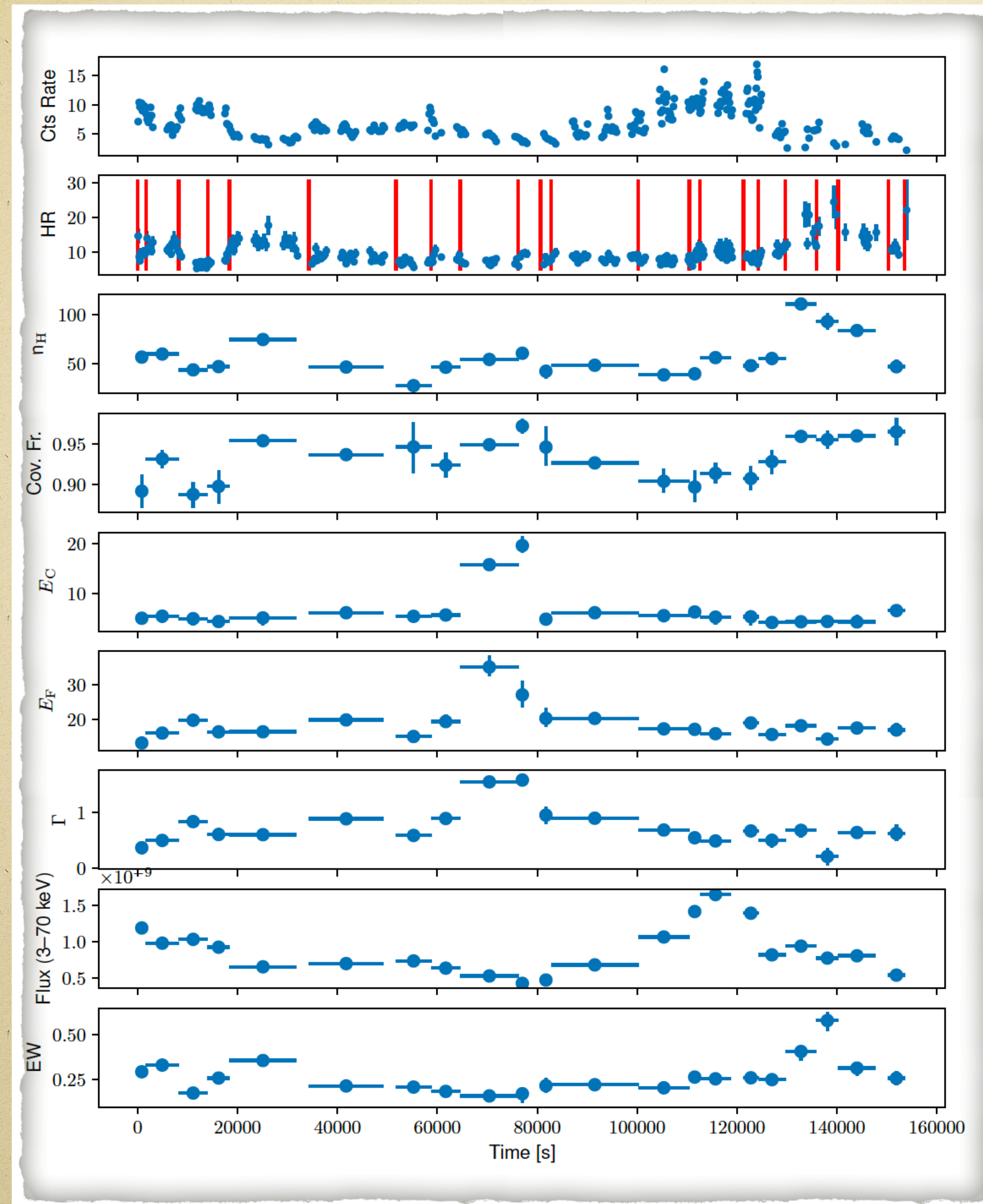
Pradhan et al. 2019

# NICER + NuSTAR



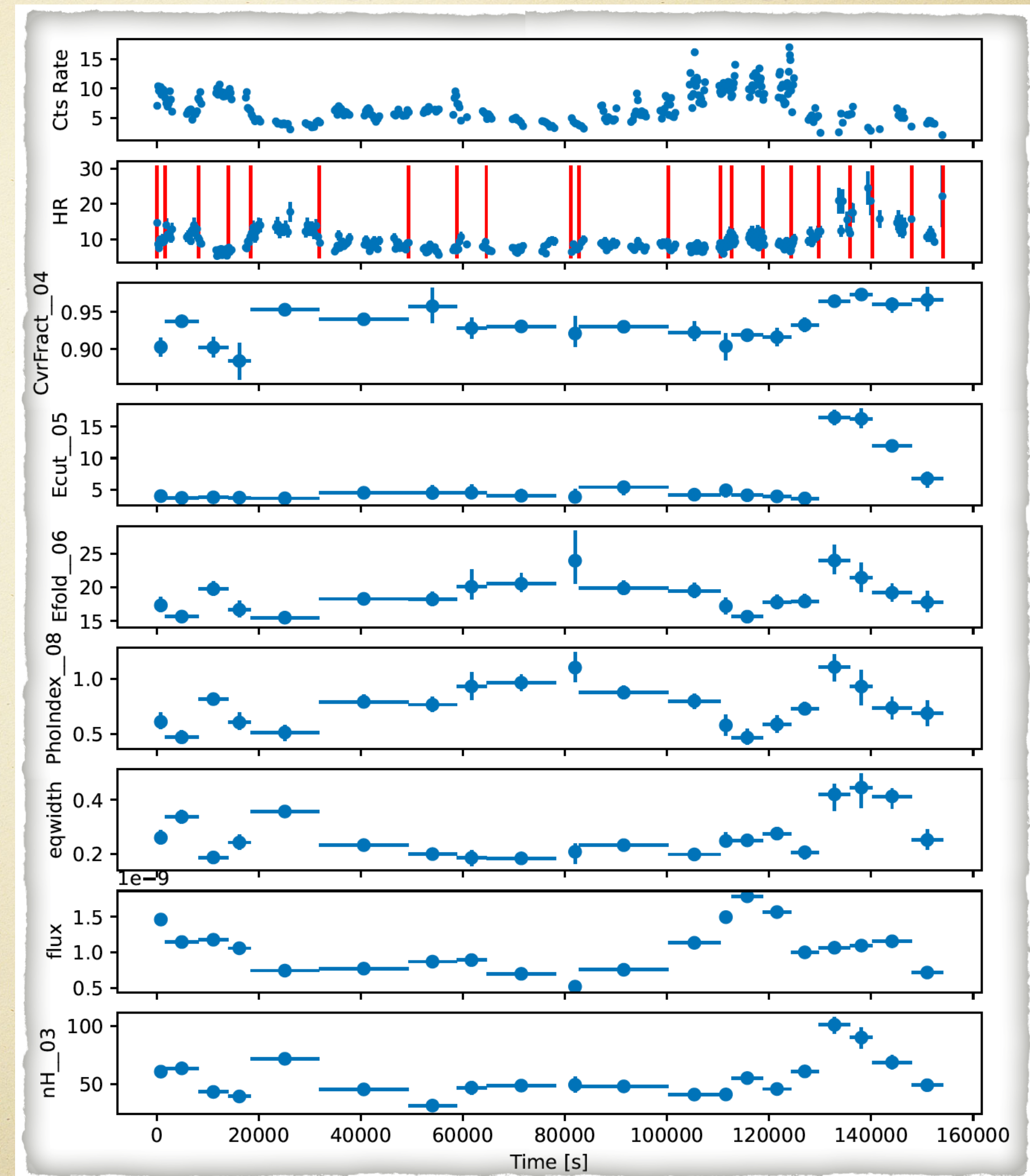
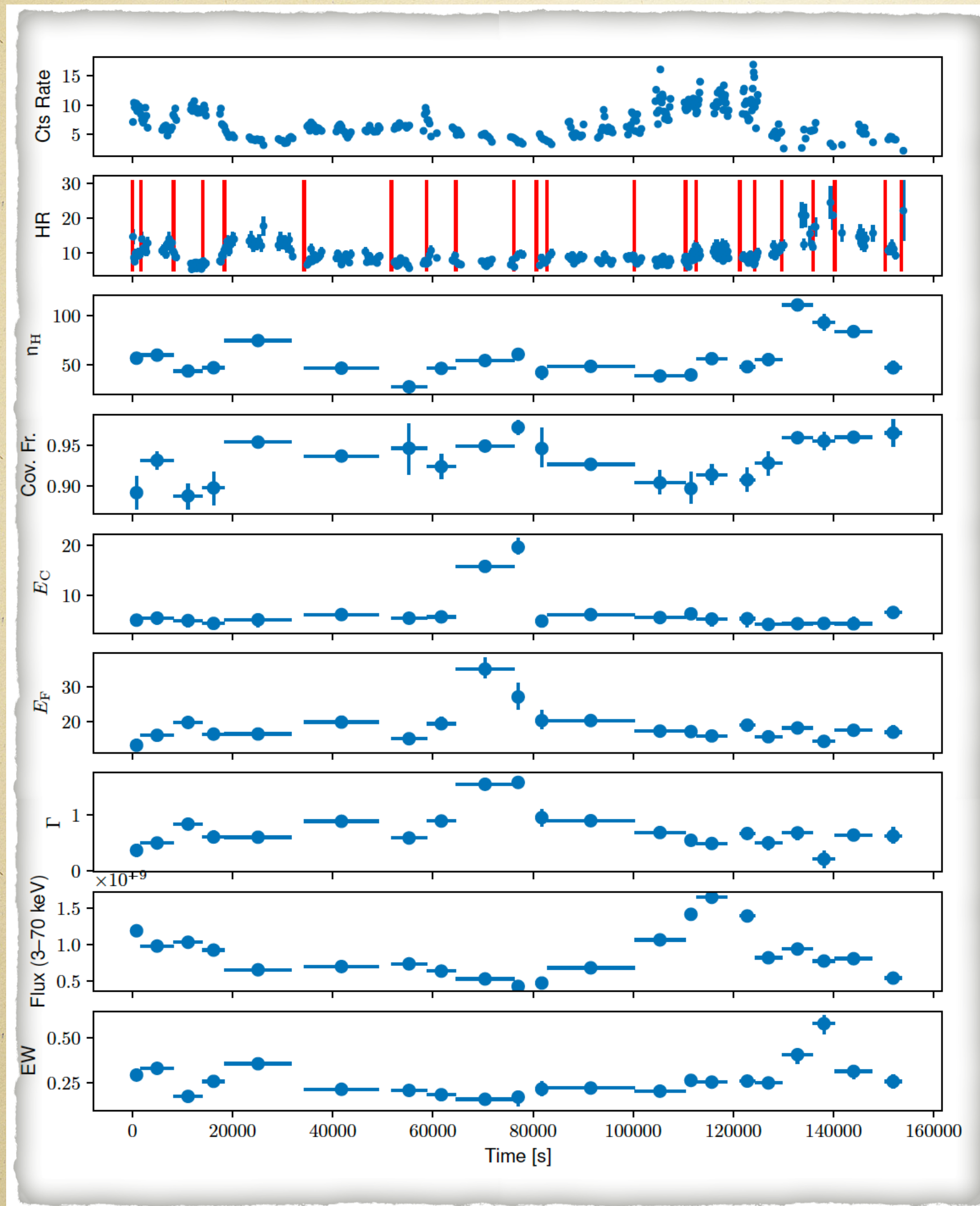
Courtesy: Jack Steiner

# Time resolved analysis with NuSTAR



Pradhan et al. 2021

# Time resolved analysis with NuSTAR



Pradhan et al. 2021

# Some prominent\* approaches to estimate clumps

\*not a complete list

- Radiative hydrodynamical simulations of wind launching (Sundqvist 2012)
- Assume that the episodic enhancements of the intrinsic X-ray luminosity observed are due to the direct capture of a clump. (e.g., in 't Zand 2005, Ducci 2009, Pradhan 2014)
- Takes as input (literature: stellar separation  $a$ , inclination, volume filling factor,  $P_{\text{orb}}$ ,  $M_{\text{star}}$ ,  $R_{\text{star}}$ ,  $v_{\text{inf}}$ ,  $\dot{M}$  + observations: median  $N_{\text{H1}}$ ,  $N_{\text{H2}}$  variation and time) and gives as output the clump characteristics (clump size, clump mass, porosity length), and beta (Grinberg 2015, El Mellah 2020)

$$\delta N_H = \frac{3}{32\pi} \left( m_{cl} \int_{z(\phi)}^{\infty} \frac{dz}{R_{cl}^2 r^2 v} \right)^{1/2}. \quad (12)$$

The expansion law for the clumps can then be reinjected in the formula above. For example, for linearly expanding clumps, we then have, if the velocity profile is given by the  $\beta$ -law (1):

$$\delta N_H = \frac{3}{8\pi} \left( \frac{m_{cl}}{R_{cl,2}^2} \int_{z(\phi)}^{\infty} \frac{dz}{r^4 (1 - 1/r)^\beta} \right)^{1/2}. \quad (13)$$

$$m_{cl} \sim 3 \cdot 10^{22} \text{g} \left( \frac{R_{cl,m}}{R_*} \right)^2 \times \dots$$

$$\left( \frac{R_*}{20R_\odot} \right)^3 \left( \frac{v_\infty}{1000 \text{km} \cdot \text{s}^{-1}} \right) \times \dots$$

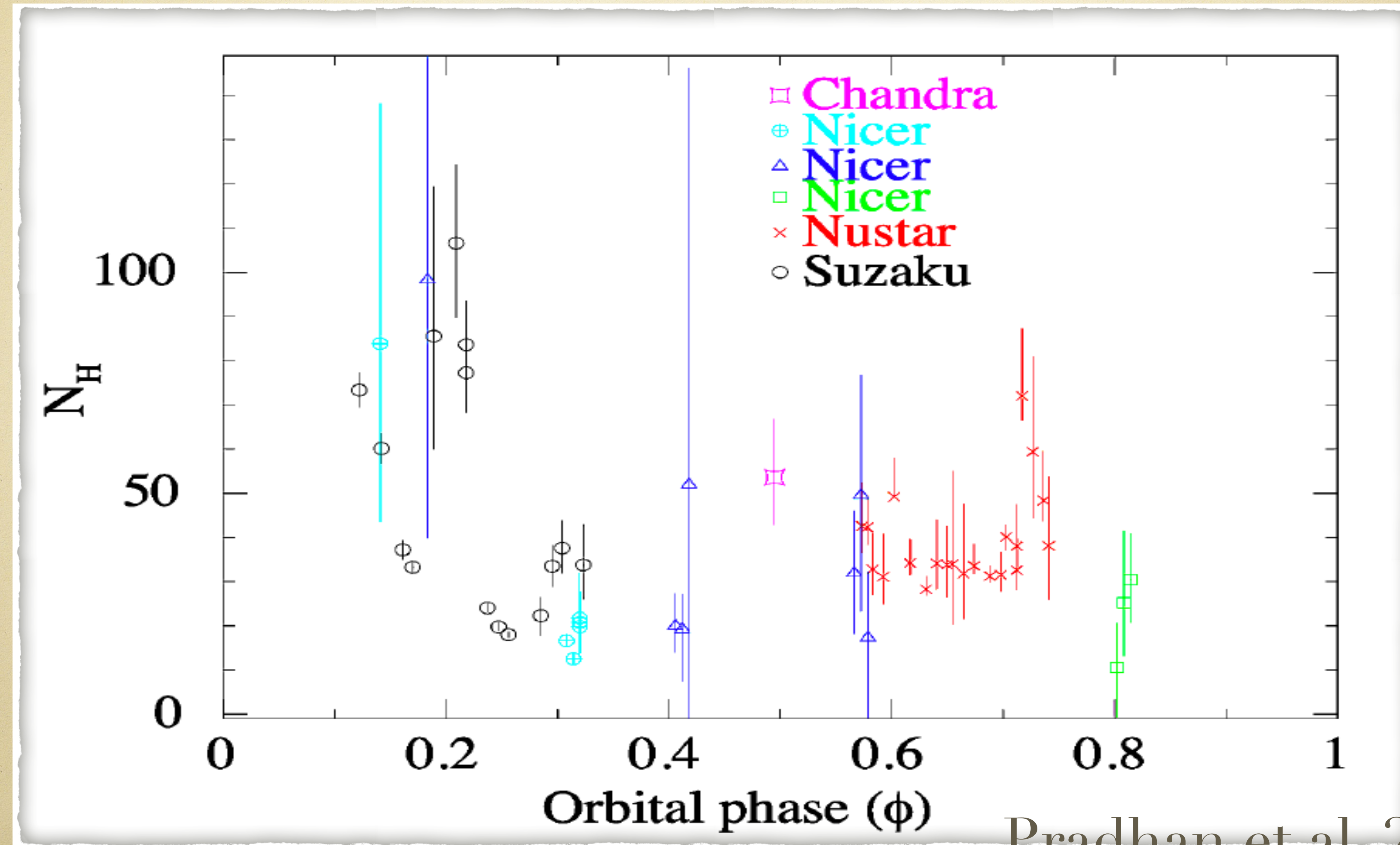
$$\left( \frac{\dot{M}}{10^{-6} M_\odot \cdot \text{yr}^{-1}} \right)^{-1} \left( \frac{\delta N_H}{5 \cdot 10^{21} \text{cm}^{-2}} \right)^2$$

$$\begin{cases} f = \langle \rho^2 \rangle / \langle \rho \rangle^2 \\ f_{\text{vol}} = \rho / \rho_{cl}, \end{cases}$$

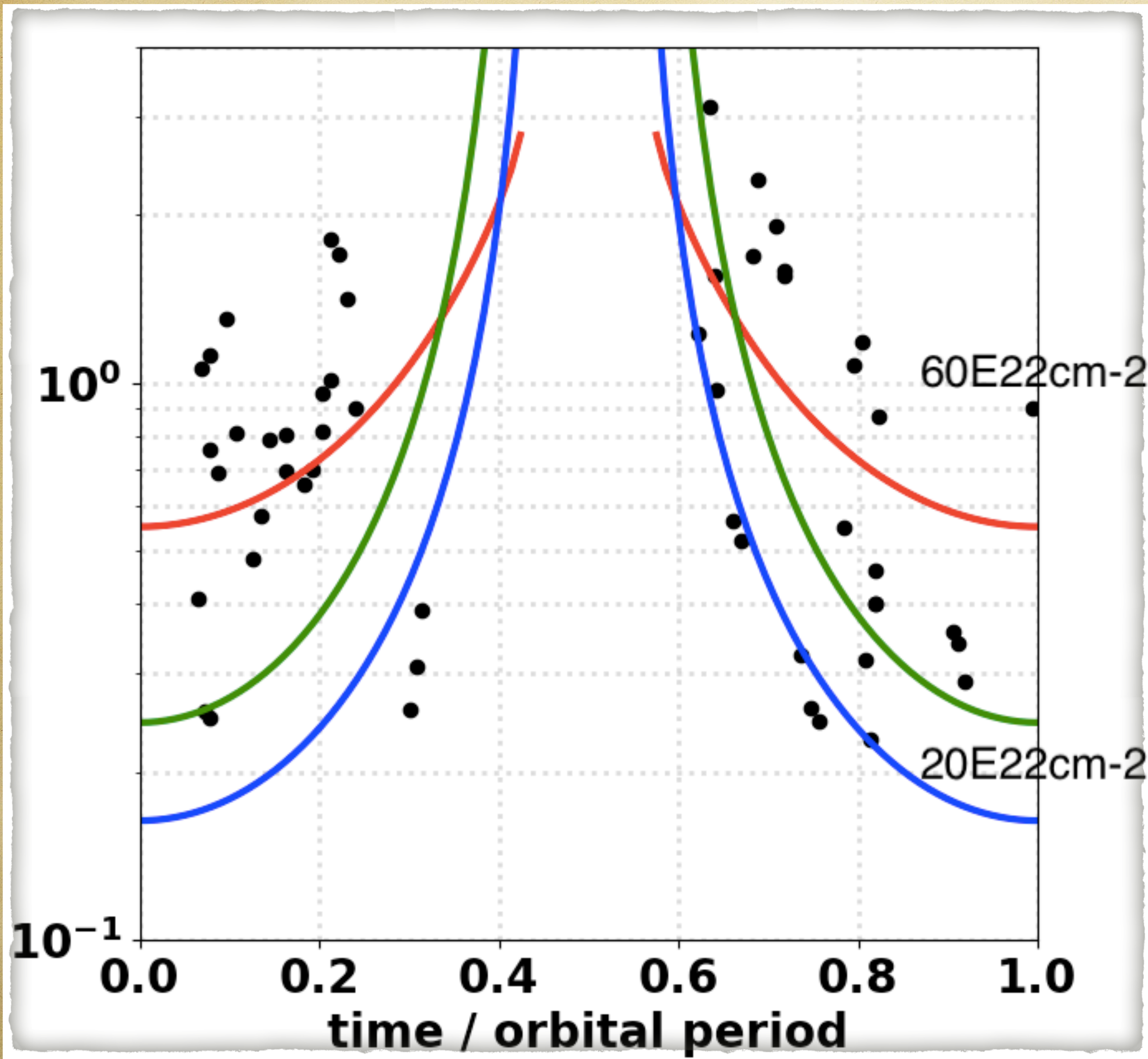
$$R_{cl} \propto r.$$

$$h \sim 2\% R_* \left( \frac{m_{cl}}{4 \cdot 10^{17} \text{g}} \right) \left( \frac{R_{cl,2}}{0.01 R_*} \right)^{-2}$$

# Local variation in $N_H$







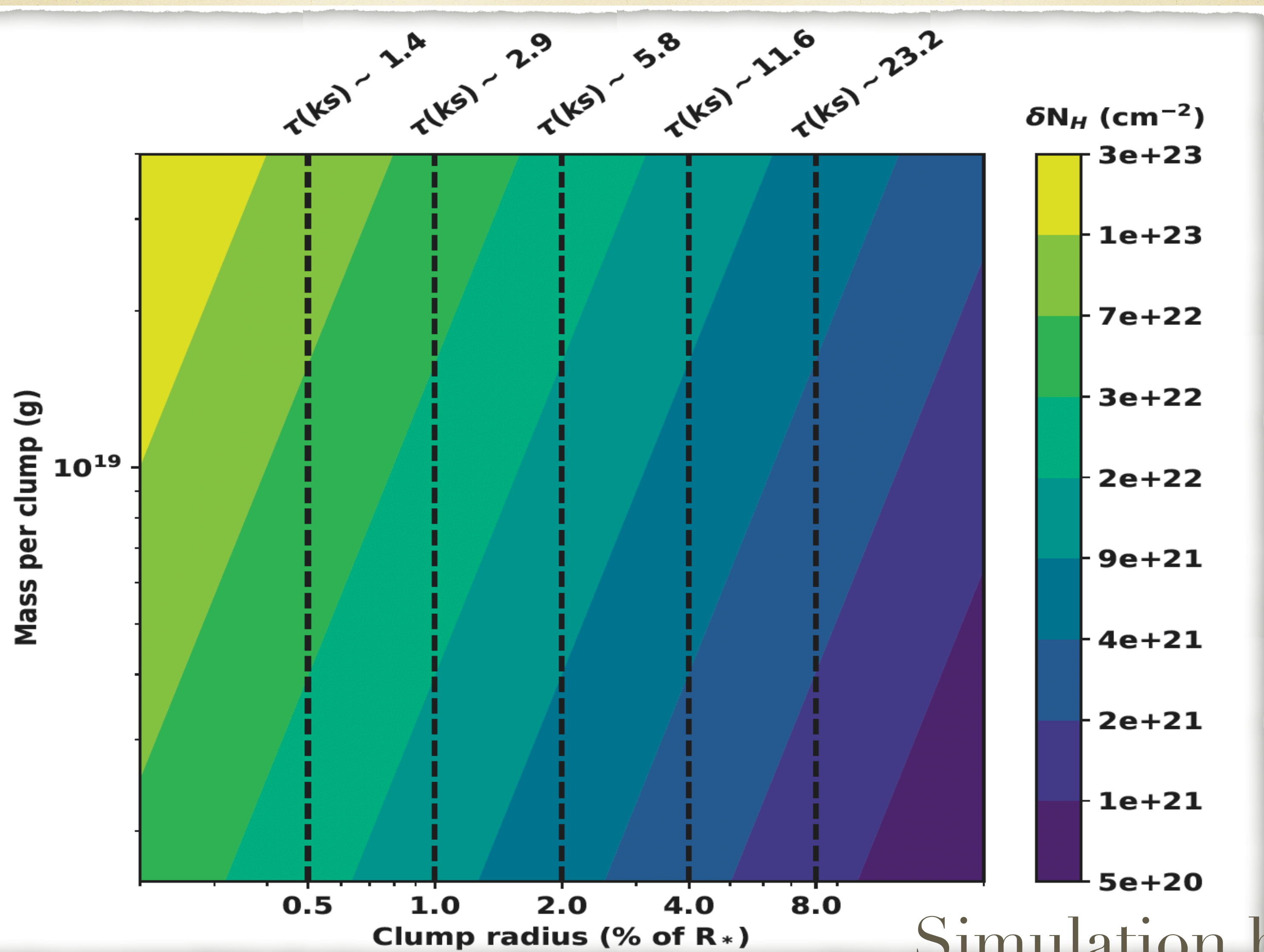
Red  
 -  $i=60$  degrees  
 -  $a=1.6$  stellar radius  
 -  $\beta=3$   
 -  $NH_0=10$  (though it would correspond to a mass loss rate of almost  $1e-5$  solar mass per year, difficult to reconcile with the values found in the literature)

Blue  
 -  $i=68$   
 -  $a=2$   
 -  $\beta=2$   
 -  $NH_0=2$

Green  
 -  $i=65$   
 -  $a=2$   
 -  $\beta=2$   
 -  $NH_0=2$

?

# Clump size estimates



Simulation by El Mellah

# Summary

- Current status of X-ray spectroscopy of HMXBs to constrain clump sizes (with certain approximations)
- XMM (and future X-ray satellites) can perform long interrupted observations with giving high quality spectra of HMXBs on coherence timescales are crucial to get accurate estimates.